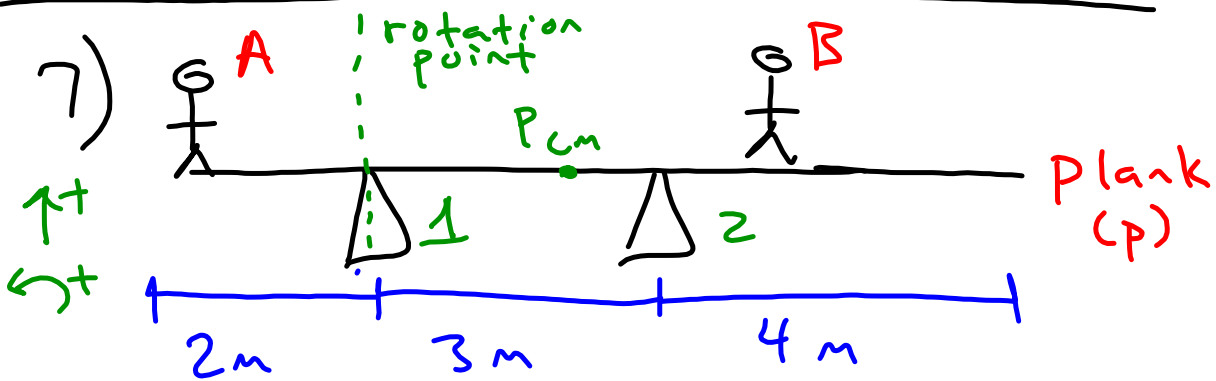


STATIC EQUILIBRIUM

- Net force $\rightarrow \sum \vec{F} = \emptyset$
(all directions)
- Net torque $\rightarrow \sum \vec{\tau} = \emptyset$
- The torque is zero at every point,
So use any point that is convenient
as the pivot point.

PRACTICE - ROTATIONAL STATICS



$$\phi = \sum \bar{F}_y = F_{N1} + F_{N2} - F_{gA} - F_{gB} - F_{gP}$$

$$\phi = \sum \bar{\tau} = r_A F_{gA} - r_P F_{gP} + r_2 F_{N2} - r_B F_{gB}$$

left support
is rotation
point

* As the board would start to rotate, $F_{N1} = 0$ N.

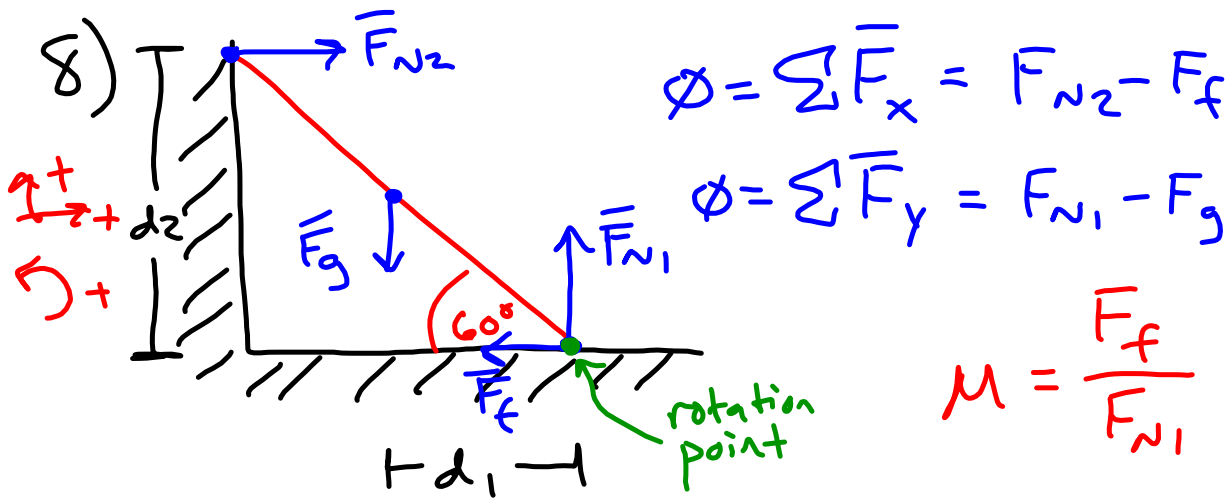
$$F_{N2} - F_{gA} - F_{gB} - F_{gP} = \phi$$

$$F_{N2} - a_g (m_A + m_B + m_P) = \phi$$

$$F_{N2} = a_g (m_A + m_B + m_P)$$

$$r_A F_{gA} - r_P F_{gP} + r_2 F_{N2} - r_B F_{gB} = \phi$$

$$r_B = \frac{1}{F_{gB}} \left[r_A F_{gA} - r_P F_{gP} + r_2 a_g (m_A + m_B + m_P) \right]$$



$$\phi = \sum \bar{\tau} = d_1 F_g - d_2 F_{N2}$$

$$\phi = \frac{1}{2} \cancel{L} \cos(60^\circ) m a_g - \cancel{L} \sin(60^\circ) F_{N2}$$

$$F_{N2} = \frac{1}{2} \frac{\cos(60^\circ)}{\sin(60^\circ)} m a_g = \frac{m a_g}{2 \tan(60^\circ)}$$

$$\mu = \frac{F_f}{F_{N1}} = \frac{\cancel{m a_g}}{2 \tan(60^\circ)} \frac{1}{\cancel{m a_g}}$$

$$F_f = F_{N2} \quad \mu = \frac{1}{2 \tan(60^\circ)} = 0.29$$